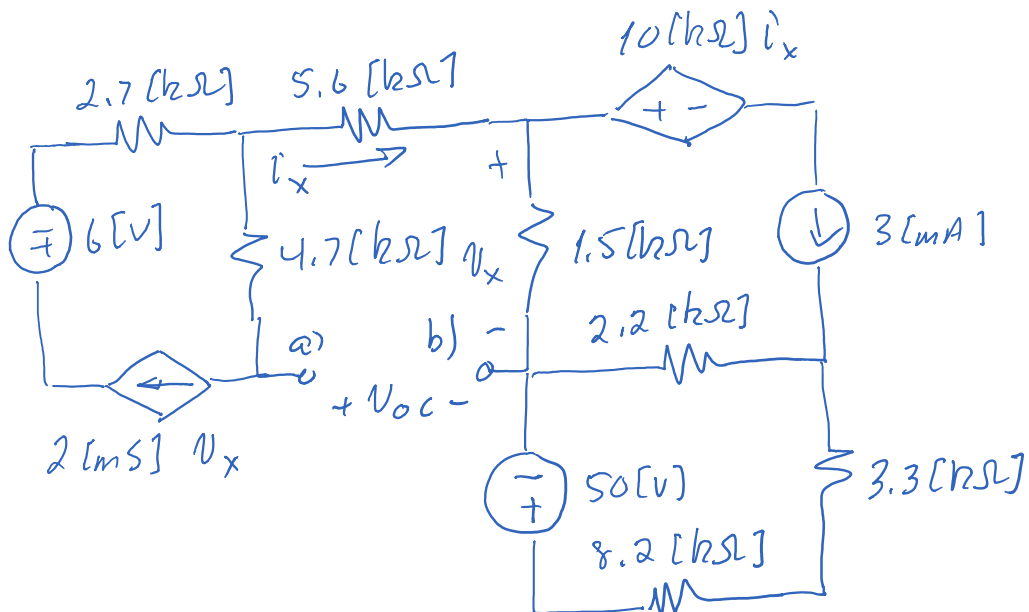


• Find Thevenin Equiv. seen by V_{s1} .

• Find the power delivered by V_{s1} .

We define terminals a, b, so that we can keep track of polarities. We need two of V_{oc} , i'_{sc} , P_{th} via test source. we will do all three. It turns out that i'_{sc} is the longest!

V_{oc} :



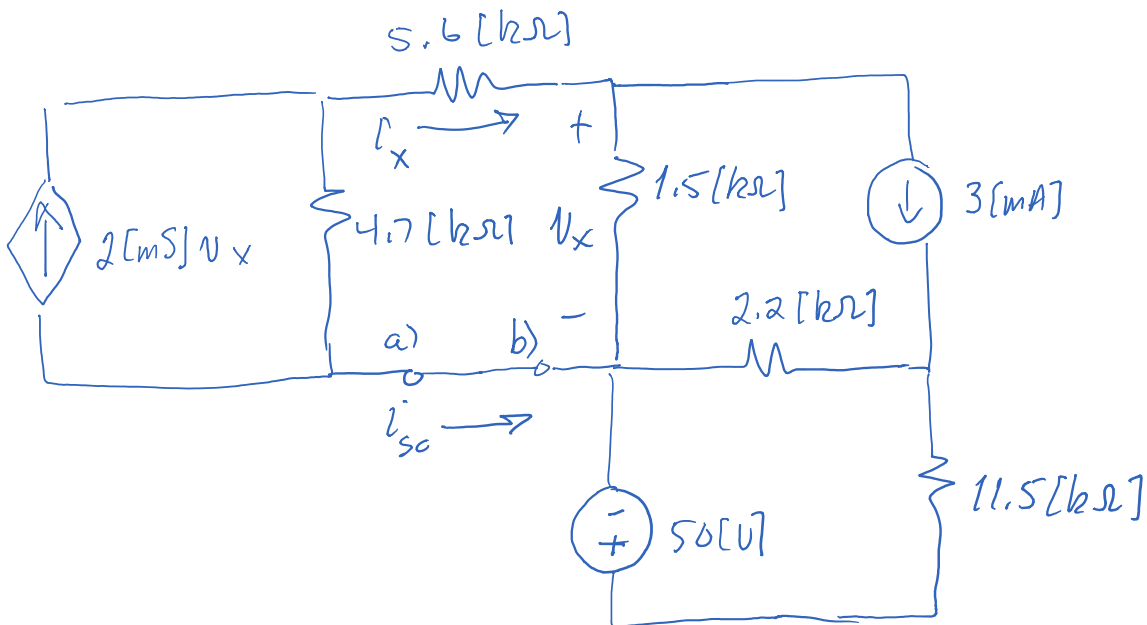
$$i_x = 0$$

$$\text{KVL} \quad V_{oc} - V_x + 2 \text{ [mS]} V_x (4700) = 0$$

$$V_x = -3 \text{ [mA]} (1500)$$

That's all we need !! $V_{oc} = V_{th} = 37.79 \text{ [V]}$

i_{sc} :

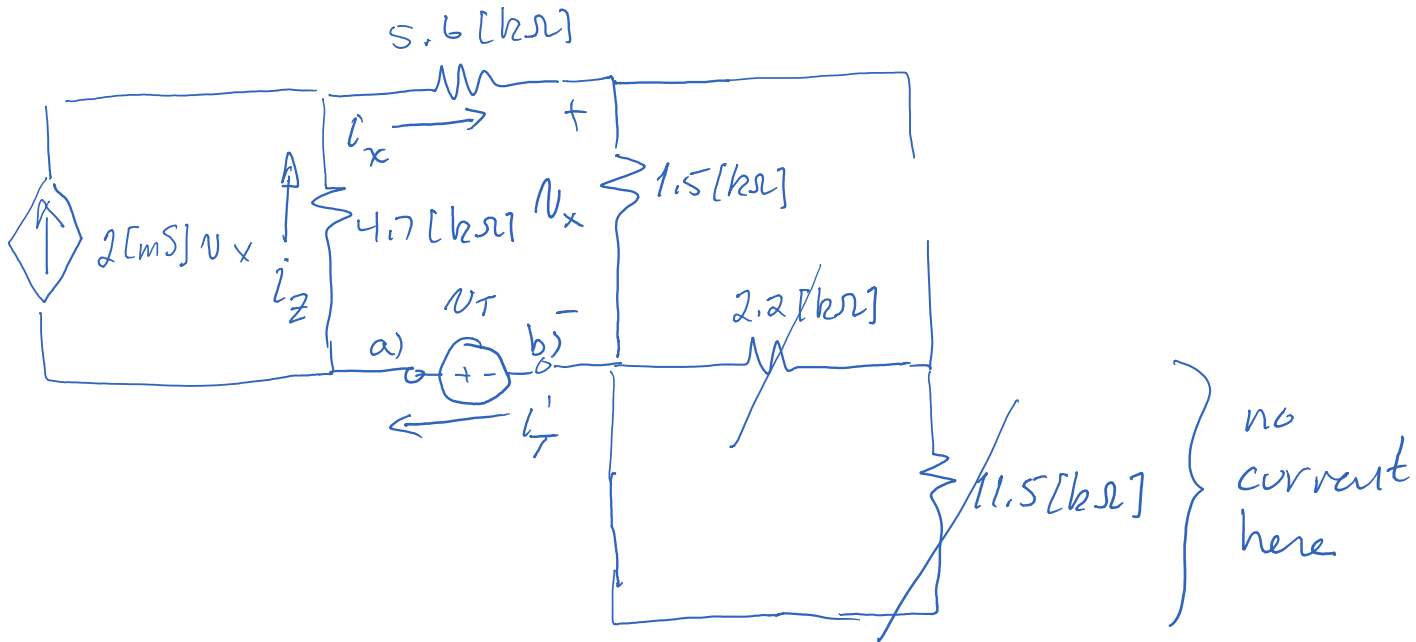


Nothing fancy here, except that I have removed circuit elements in series with the two current sources. Other than that, the mesh current method makes sense because the two current sources mean that two mesh currents are already known. This is clearly the hardest of the three things

we can find solution:

$$i'_{sc} = -16.43 \text{ [mA]}$$

test source:



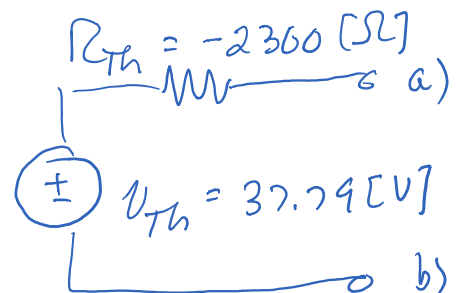
$$v_x = 1500 i_T$$

$$0.002 v_x + i_z = i_T \Rightarrow i_z = i_T - 3 i_T = -2 i_T$$

$$-v_T + 4700(-2 i_T) + 7100 i_T = 0$$

$$R_{Th} = \frac{v_T}{i_T} = (-9400 + 7100) = -2300 \text{ [Ω]}$$

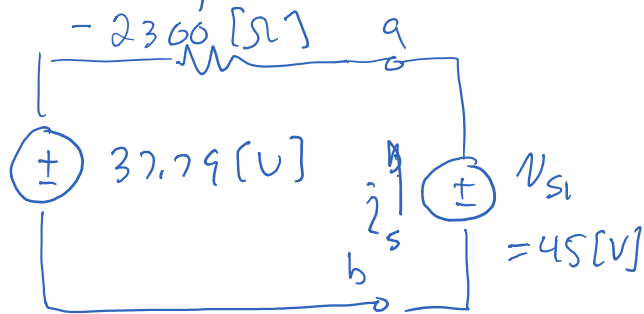
So Thevenin Equivalent is:



∴ . . .

Power:

Connecting v_{s1} to the Thev. Eq. gives



$$i_s' = \frac{45 - 37.79}{2300}$$
$$= -3.13 \text{ [mA]}$$

$$P_{\text{del by } v_{s1}} = v_{s1} \cdot i_s' = -141 \text{ [mW]}$$